

Prof. Dr. Alfred Toth

Ontische Abbildungen innerhalb der colinearen Zahlentheorie

1. Im folgenden benutzen wir die in Toth (2015) eingeführte colineare Zahlentheorie zur Subkategorisierung von Typen von raumsemiotischen Abbildungen (vgl. Bense/Walther 1973, S. 80).

2.1. Homogene colineare Zahlenstrukturen

2.1.1. $C = [S, Abb, S]$

$$Z = [0, \rightleftharpoons, 1]$$

$$Z = [1, \rightleftharpoons, 0]$$

$$Z = [0, \updownarrow, 1]$$

$$Z = [1, \updownarrow, 0]$$

$$Z = [0, \nearrow\swarrow, 1]$$

$$Z = [1, \nearrow\swarrow, 0]$$

$$Z = [0, \nwarrow\searrow, 1]$$

$$Z = [1, \nwarrow\searrow, 0]$$



Rue Belhomme, Paris

2.1.2. $C = [Abb, S, Abb]$

$$Z = [\rightleftharpoons, 0, \rightleftharpoons]$$

$$Z = [\rightleftharpoons, 1, \rightleftharpoons]$$

$$Z = [\downarrow, 0, \downarrow]$$

$$Z = [\downarrow, 1, \downarrow]$$

$$Z = [\nearrow, 0, \nearrow]$$

$$Z = [\nearrow, 1, \nearrow]$$

$$Z = [\nwarrow, 0, \nwarrow]$$

$$Z = [\nwarrow, 1, \nwarrow]$$



Gare d'Austerlitz, Paris

$$2.1.3. C = [S, \text{Rep}, S]$$

$$Z = [0, \emptyset, 1]$$

$$Z = [1, \emptyset, 0]$$



Pont du Garigliano, Paris

2.1.4. $C = [\text{Rep}, S, \text{Rep}]$

$Z = [\emptyset, 0, \emptyset]$

$Z = [\emptyset, 1, \emptyset]$



Brückenhaus, Wismar

2.1.5. $C = [\text{Abb}, \text{Rep}, \text{Abb}]$

$Z = [\rightrightarrows, \emptyset, \rightrightarrows]$

$Z = [\Uparrow, \emptyset, \Downarrow]$

$Z = [\nearrow, \emptyset, \searrow]$

$Z = [\nwarrow, \emptyset, \swarrow]$



Ehem. Bahnhof Passy
der Chemin de Fer de
Petite Ceinture, Paris

2.1.6. $C = [\text{Rep}, \text{Abb}, \text{Rep}]$

$Z = [\emptyset, \rightrightarrows, \emptyset]$

$Z = [\emptyset, \Downarrow, \emptyset]$

$Z = [\emptyset, \nearrow\swarrow, \emptyset]$

$Z = [\emptyset, \nwarrow\searrow, \emptyset]$



Chemin de Fer de Petite Ceinture, Paris

2.2. Heterogene colineare Zahlenstrukturen

2.2.1. $C = [S, \text{Abb}, \text{Rep}]$

$Z = [0, \rightrightarrows, \emptyset]$

$Z = [1, \rightrightarrows, \emptyset]$

$Z = [0, \Downarrow, \emptyset]$

$Z = [1, \Downarrow, \emptyset]$

$Z = [0, \nearrow\swarrow, \emptyset]$

$Z = [1, \nearrow\swarrow, \emptyset]$

$Z = [0, \nwarrow\searrow, \emptyset]$

$Z = [1, \nwarrow\searrow, \emptyset]$



Rue de l'Aqueduc, Paris

2.2.2. $C = [S, \text{Rep}, \text{Abb}]$

$$Z = [0, \emptyset, \rightrightarrows]$$

$$Z = [1, \emptyset, \rightrightarrows]$$

$$Z = [0, \emptyset, \Downarrow]$$

$$Z = [1, \emptyset, \Downarrow]$$

$$Z = [0, \emptyset, \nearrow]$$

$$Z = [1, \emptyset, \nearrow]$$

$$Z = [0, \emptyset, \searrow]$$

$$Z = [1, \emptyset, \searrow]$$



Rue de Charenton, Paris

2.2.3. $C = [Abb, S, Rep]$

$$Z = [\rightrightarrows, 0, \emptyset] \quad Z = [\rightrightarrows, 1, \emptyset]$$

$$Z = [\Uparrow, 0, \emptyset] \quad Z = [\Uparrow, 1, \emptyset]$$

$$Z = [\nearrow, 0, \emptyset] \quad Z = [\nearrow, 1, \emptyset]$$

$$Z = [\nwarrow, 0, \emptyset] \quad Z = [\nwarrow, 1, \emptyset]$$



Rue André Gide, Paris

2.2.4. $C = [Abb, Rep, S]$

$$Z = [\rightrightarrows, \emptyset, 0] \quad Z = [\rightrightarrows, \emptyset, 1]$$

$$Z = [\Uparrow, \emptyset, 0] \quad Z = [\Uparrow, \emptyset, 1]$$

$$Z = [\nearrow, \emptyset, 0] \quad Z = [\nearrow, \emptyset, 1]$$

$$Z = [\nwarrow, \emptyset, 0] \quad Z = [\nwarrow, \emptyset, 1]$$



Impasse Royer-Collard, Paris

2.2.5. $C = [\text{Rep}, S, \text{Abb}]$

$$Z = [\emptyset, 0, \rightrightarrows]$$

$$Z = [\emptyset, 1, \rightrightarrows]$$

$$Z = [\emptyset, 0, \Uparrow]$$

$$Z = [\emptyset, 1, \Uparrow]$$

$$Z = [\emptyset, 0, \nearrow\swarrow]$$

$$Z = [\emptyset, 1, \nearrow\swarrow]$$

$$Z = [\emptyset, 0, \nwarrow\searrow]$$

$$Z = [\emptyset, 1, \nwarrow\searrow]$$



Rue Pajol, Paris

2.2.6. $C = [\text{Rep}, \text{Abb}, S]$

$Z = [\emptyset, \rightrightarrows, 0]$

$Z = [\emptyset, \rightrightarrows, 1]$

$Z = [\emptyset, \updownarrow, 0]$

$Z = [\emptyset, \updownarrow, 1]$

$Z = [\emptyset, \nearrow\swarrow, 0]$

$Z = [\emptyset, \nearrow\swarrow, 1]$

$Z = [\emptyset, \nwarrow\searrow, 0]$

$Z = [\emptyset, \nwarrow\searrow, 1]$



Rue du Dr Charles Richet, Paris

Literatur

Bense, Max/Walther, Elisabeth, Wörterbuch der Semiotik. Köln 1973

Toth, Alfred, Grundlagen einer colinearen Zahlentheorie. In: Electronic Journal for Mathematical Semiotics, 2015

7.9.2015